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Diboson resonant production in non-custodial composite Higgs models

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Abstract

We show that the recently reported excess in resonant diboson production can be explained in the context of non-custodial composite Higgs models. Dibosons are generated via the s-channel exchange of massive vector bosons present in these models. We discuss the compatibility of the signal excess with other diboson experimental searches. We also discuss the tension between diboson production and other experimental tests of the model that include electroweak precision data, dilepton, dijet and top pair production and show that there is a region of parameter space in which they are all compatible with the excess.

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1 Introduction

The ATLAS collaboration has recently reported an intriguing excess in hadronically decaying diboson ($WW/WZ/ZZ$) resonant production peaked around ~ 2 TeV [1]. The observed excess corresponds to significances of 3.4σ , 2.6σ and 2.9σ for the WZ , WW and ZZ channels respectively. Hadronically decaying Z and W are not easy to distinguish so the three channels are not exclusive. As a quantitative example, for a W' with a 2 TeV mass decaying to WZ , we have the following 95% C.L. expected (exp) and observed (obs) limits

$$\sigma(pp \rightarrow W' \rightarrow WZ) < 12 \text{ fb (exp)}, \quad \sigma(pp \rightarrow W' \rightarrow WZ) < 36 \text{ fb (obs)}. \quad (1)$$

Although the excess is not statistically significant yet, it is interesting to entertain the possibility that it corresponds to a real signal of new physics. There is a similar search for hadronically decaying diboson production in CMS [2]. Interestingly enough there is a small excess localized near the 2 TeV region. For a W' with a 2 TeV mass decaying to WZ CMS finds

$$\sigma(pp \rightarrow W' \rightarrow WZ) < 8 \text{ fb (exp)}, \quad \sigma(pp \rightarrow W' \rightarrow WZ) < 13 \text{ fb (obs)}. \quad (2)$$

An interpretation of these excesses in a number of models has been recently presented in [3]. In this article we will show that they can be explained in the context of non-custodial composite Higgs models without conflicting with any other current experimental bound.

A natural prediction of composite Higgs models is the presence of composite vector resonances that mix with the Standard Model (SM) electroweak bosons. They typically have a large coupling to the longitudinal components of the W and Z bosons and therefore their decay into pairs of SM gauge bosons is usually sizeable. Thus, they are prime candidates to explain an excess in diboson resonant production. The mass scale of the diboson excess $M \sim 2$ TeV is however smaller than the typical masses of the vector resonances in composite Higgs models, which, due to a sizeable tree-level contribution to the S parameter, are expected to be in the $M \gtrsim 2.5 - 3$ TeV region [4]. However, using a soft-wall construction of higher-dimensional holographic duals of composite Higgs models it has been shown that lighter vector resonances are compatible with electroweak precision tests (EWPT) both in custodial [5] and non-custodial [6] set-ups. In practice this is done by reducing the mixing between the heavy vector resonances and the SM gauge bosons and the coupling between the former and the SM fermions. Reducing these mixings and couplings allows for lighter resonances compatible with EWPT but it also reduces their production cross section and their decay branching ratio into SM vector bosons, making their collider phenomenology more challenging [7, 8]. Hence there is, in principle, a tension in these models between the constraints from EWPT and the possible size of anomalous diboson production. For the sake of simplicity we will consider in this article the minimal non-custodial composite Higgs model as a benchmark and study in detail the compatibility of the observed excess with constraints from EWPT.¹

¹Custodial models have a similar phenomenology and, although the quantitative details will dif-

Before explaining the excesses in the context of specific models, however, one should check whether these excesses are compatible with the results of other diboson resonant searches or if, on the contrary, they are already excluded by the latter. We will show in the next section that, although there is a large number of related searches for diboson resonance production with no significant excess, the corresponding bounds are compatible with the number of events needed to explain the observed excess. Of course with a specific model in mind there are also other experimental searches that play a relevant role in constraining the parameters of the model. In particular the most important ones for non-custodial composite Higgs models are dijet, dilepton and top pair production. We will show that there are regions of parameter space in which the observed excess can be explained without contradicting any of the existing limits.

The rest of the paper is organized as follows. In Sec. 2 we will summarize the different experimental searches for exotic resonances. In Sec. 3 the non-custodial model will be presented including the EW fit. The results are presented in Sec. 4 and finally Sec. 5 is devoted to our conclusions.

2 Experimental status

As mentioned above, before trying to explain the observed excess in terms of a specific model, we have to make sure that the excess is not already ruled out by other related resonant searches. There are a number of other diboson (WW/WZ/ZZ) resonant searches performed by ATLAS and CMS in the semi-leptonic and purely leptonic channels. No significant excesses are observed in these searches and the resulting 95% C.L. bounds are reported in the first block of Table 1.

At first sight it might seem that these bounds rule out the reported excess by ATLAS (and to a lesser extent CMS) in Eqs. (1) and (2). However, a more detailed look at the results in Ref. [1] shows that the cross section needed to explain the ATLAS excess is in principle compatible with all these extra constraints. The most significant excess is observed in the two 100 GeV bins with invariant mass $1850 \text{ GeV} \leq m_{VV'} \leq 2050 \text{ GeV}$ and it corresponds to 8, 6.5 and 6.5 events over the expected background for the WZ , WW and ZZ selection regions, respectively [24]. Assuming that the diboson resonance corresponds to a vector boson exchanged in the s-channel, the total number of events can be computed as follows

$$N_{\text{ev}} = \mathcal{L} \times \epsilon \times \sigma(pp \rightarrow V') \times BR(V' \rightarrow V_1 V_2) \times BR(V_1 \rightarrow jj) \times BR(V_2 \rightarrow jj), \quad (3)$$

where $\mathcal{L} = 20.3 \text{ fb}^{-1}$ is the integrated luminosity, V' is the intermediate vector boson, $V_{1,2}$ stand for a W or Z boson and ϵ is the analysis efficiency. From Table 1 and Fig. 2 (b) of Ref. [1] we conservatively estimate

$$\epsilon \approx 0.14 \times 0.7 \approx 0.1, \quad (4)$$

fer, the general features that the diboson excess can be explained without conflict with any other experimental constraint is likely to hold also in these models.

Channel			Process	1.8 TeV	1.9 TeV	2.0 TeV
ATLAS	$\ell\nu jj$	[9]	$pp \rightarrow W' \rightarrow WZ$	13 fb	12 fb	10 fb
CMS	$\ell\nu jj$	[10]	$pp \rightarrow G^* \rightarrow WW$	6 fb	4 fb	3 fb
ATLAS	$\ell\ell jj$	[11]	$pp \rightarrow W' \rightarrow WZ$	14 fb	20 fb	20 fb
ATLAS	$\ell\ell jj$	[11]	$pp \rightarrow G^* \rightarrow ZZ$	6 fb	7 fb	7 fb
CMS	$\ell\ell jj$	[10]	$pp \rightarrow G^* \rightarrow ZZ$	14 fb	12 fb	8 fb
ATLAS	$3\ell\nu$	[12]	$pp \rightarrow W' \rightarrow WZ$	21 fb	22 fb	21 fb
CMS	$3\ell\nu$	[13]	$pp \rightarrow W' \rightarrow WZ$	27 fb	20 fb	20 fb
ATLAS	ZH	[14]	$pp \rightarrow Z' \rightarrow ZH$	14 fb	16 fb	—
ATLAS	WH	[14]	$pp \rightarrow W' \rightarrow WH$	31 fb	37 fb	—
CMS	ZH	[15]	$pp \rightarrow Z' \rightarrow ZH$	13 fb	9 fb	7 fb
CMS	WH	[15]	$pp \rightarrow W' \rightarrow WH$	14 fb	9 fb	7 fb
ATLAS	$\ell\ell$	[16]	$pp \rightarrow Z' \rightarrow \ell\ell$	0.23 fb	0.22 fb	0.20 fb
ATLAS	$\ell\nu$	[17]	$pp \rightarrow W' \rightarrow \ell\nu$	0.54 fb	0.48 fb	0.44 fb
CMS	$\ell\ell$	[18]	$pp \rightarrow Z' \rightarrow \ell\ell$	0.24 fb	0.24 fb	0.24 fb
CMS	$\ell\nu$	[19]	$pp \rightarrow W' \rightarrow \ell\nu$	0.40 fb	0.34 fb	0.30 fb
ATLAS	$t\bar{t}$	[20]	$pp \rightarrow Z' \rightarrow t\bar{t}$	64 fb	60 fb	52 fb
CMS	$t\bar{t}$	[21]	$pp \rightarrow Z' \rightarrow t\bar{t}$	17 fb	14 fb	11 fb
ATLAS	dijets	[22]	$pp \rightarrow W' \rightarrow jj$	270 fb	184 fb	119 fb
CMS	dijets	[23]	$pp \rightarrow W' \rightarrow jj$	205 fb	155 fb	95 fb

Table 1: Summary of the relevant 95% C.L. observed bounds.

where 0.7 is the fraction of events in the region around the V' mass. Inserting the numbers in Eq. (3) we obtain

$$\sigma(pp \rightarrow V') \times BR(V' \rightarrow V_1 V_2) \approx N_{\text{ev}} \text{ fb} \approx 6 - 8 \text{ fb}, \quad (5)$$

where we have assumed similar efficiencies for the reconstruction of the hadronic Z and W and for simplicity we have neglected the small difference in their hadronic branching fractions. A proper statistical combination of all three different channels has not been provided by the ATLAS collaboration but they emphasize that a number of events will populate several regions. Instead of trying to estimate the contamination across channels we will simply add the cross sections in all of them. This is a reasonable approximation, taking into account that we have been conservative when estimating the efficiencies. Thus, we see that there is no obvious contradiction between the required cross section to explain the observed ATLAS excess with the limits from other searches. The only possible exception is the CMS $\ell\nu jj$ analysis [10], which puts a constraint on $\sigma(pp \rightarrow G^* \rightarrow WW) \leq 6 - 3 \text{ fb}$ for $M = 1.8 - 2 \text{ TeV}$. As we will discuss below, our model does not give a contribution to this signal with the same strength as to the fully hadronic one. Furthermore, the interpretation of the bound in terms of a spin-2 resonance makes it difficult to apply it to our model without further assumptions.

We finally show in the second and third blocks of Table 1 other experimental constraints that will be relevant for the non-custodial composite Higgs model that we will use to explain the diboson excess. Searches for exotic resonances decaying into a W or

Z boson and a Higgs boson have been performed by ATLAS and CMS. No significant excess is found in these channels and the 95% C.L. bounds on cross-sections are summarized in the second block of Table 1. Finally other resonant channels, as $\ell\ell$, $\ell\nu$, $t\bar{t}$ and dijets have been searched for by ATLAS and CMS and the resulting 95% bounds on cross-sections are summarized in the third block of Table 1. We will include all the bounds from the second and third blocks of Table 1 in our numerical analysis below.

3 Non-custodial composite Higgs models

Composite Higgs models provide an elegant solution to the hierarchy problem. In these models the Higgs boson is a composite resonance of a new strongly coupled interaction and its mass is protected by its finite size. Further assuming that the Higgs is a pseudo-Nambu-Goldstone boson of a global symmetry of the strongly interacting sector ensures that its mass is naturally much smaller than the composite scale [25]. A common prediction of these models is the presence of electroweak composite vector resonances with masses around or above the scale of compositeness and a large mixing with the SM gauge bosons. Due to a sizeable tree-level contribution to the S parameter, these vector resonances are however expected to be in the $M \gtrsim 2.5 - 3$ TeV region, even in custodially symmetric set-ups [4]. Using a soft-wall construction of higher-dimensional holographic duals of composite Higgs models it has been shown that lighter vector resonances are compatible with EWPT both in custodial [5] and non-custodial [6] models. Indeed, vector resonances as light as ~ 1 TeV are allowed without violating the very stringent constraints from EWPT. In practice this is done by effectively reducing the mixing between the composite vector resonances and the SM gauge fields. The T parameter, which is volume enhanced in these models, is proportional to the square of this mixing whereas the S parameter, which does not have the volume enhancement and is therefore naturally smaller than the T parameter, is linearly proportional to the mixing. Thus, the reduction in the mixing naturally brings the model back in the allowed ellipse in the $S - T$ plane with much lighter vector resonances. In the explicit construction used in [6] the coupling of the composite vectors to the light SM fermions is also reduced with respect to models in AdS_5 thus reducing the production cross section of the vector resonances and making their collider phenomenology more difficult to explore [7, 8]. The reduced mixing between the composite and SM vectors also has a direct implication relevant for this work. This mixing governs the decay of the massive vector resonances into pairs of SM gauge bosons and therefore reducing it to ease the constraints from EWPT also reduces the potential signal to explain the diboson excess.

In order to be quantitative and explore a region of parameter space as large as possible in this class of models without the burden of constructing complete non-trivial gravitational backgrounds, we consider a simplified version of the non-custodial composite Higgs model in which we include the minimal number of fields that are relevant for the diboson production and for the associated constraints. Specifically we consider only the first resonances with the quantum numbers of the electroweak SM

gauge bosons. Color octet vector and fermionic resonances are also typically present in these models but their features are model dependent and would unnecessarily complicate the current analysis. Furthermore there are stringent constraints from flavor, dijet and top production on color octet vector resonances [26] that are therefore expected to be heavier than the needed ~ 2 TeV to explain the diboson excess.

The relevant part of the Lagrangian reads

$$\mathcal{L} = \mathcal{L}_{\text{SM}}^{(0)} + \mathcal{L}_{\text{Gauge}}^{(1)} + \mathcal{L}_{\text{Fermion}}^{(1)} + \mathcal{L}_{\text{Higgs}}^{(1)}, \quad (6)$$

with

$$\begin{aligned} \mathcal{L}_{\text{Gauge}}^{(1)} = & -\frac{1}{4}W_{\mu\nu}^{(1)i}W^{(1)i\mu\nu} - \frac{1}{4}B_{\mu\nu}^{(1)}B^{(1)\mu\nu} + \frac{1}{2}M^2W_{\mu}^{(1)i}W^{(1)i\mu} + \frac{1}{2}M^2B_{\mu}^{(1)}B^{(1)\mu} \\ & -g\varepsilon^{ijk}\partial_{[\mu}W_{\nu]}^{(1)i}W_{\mu}^{(1)j}W_{\nu}^{(0)k} - \frac{1}{2}g\varepsilon^{ijk}\partial_{[\mu}W_{\nu]}^{(0)i}W_{\mu}^{(1)j}W_{\nu}^{(1)k}, \end{aligned} \quad (7)$$

$$\mathcal{L}_{\text{Higgs}}^{(1)} = \frac{gg_V}{2}W_{\mu}^{(1)i}\phi^{\dagger}i\overleftrightarrow{D}^{i\mu}\phi + \frac{g'g_V}{2}B_{\mu}^{(1)}\phi^{\dagger}i\overleftrightarrow{D}^{\mu}\phi, \quad (8)$$

$$\mathcal{L}_{\text{Fermion}}^{(1)} = \sum_{\psi_L} gg_{\psi_L}W_{\mu}^{(1)i}\bar{\psi}_L\gamma^{\mu}\frac{\sigma^i}{2}\psi_L + \sum_{\psi} g'g_{\psi}Y_{\psi}B_{\mu}^{(1)}\bar{\psi}\gamma^{\mu}\psi, \quad (9)$$

where $\overleftrightarrow{D}^{i\mu} \equiv \sigma^i D^{\mu} - \overleftarrow{D}^{\mu} \sigma^i$, $\overleftrightarrow{D}^{\mu} \equiv D^{\mu} - \overleftarrow{D}^{\mu}$, Y_{ψ} stands for the hypercharge of fermion ψ and ψ_L and ψ run over all left-handed SM fermions and all SM fermions, respectively. D^{μ} stands for the SM covariant derivative and the square brackets denote antisymmetrization with respect to the indices. We assume that all quarks, except for the right-handed top and the left-handed top-bottom doublet, have the same coupling, while all leptons share the same coupling, which can be different in general from the one of quarks.² Thus we have five relevant parameters that control the mixing between the composite vectors and the SM gauge bosons (g_V) and the couplings of the composite vectors to the SM leptons (g_l), light quarks (g_q), left-handed top and bottom quarks (g_{q_3}) and right-handed top quark (g_{t_R}), respectively (the mass of the massive vectors is essentially fixed by the scale of the ATLAS excess). All these parameters but g_{t_R} enter the contributions to EWPT. g_q controls the production cross section of the composite resonances and g_V their decay into pairs of SM gauge bosons. g_{t_R} has a global impact on the decays of the composite vectors because it is expected to be sizeable (from the top mass) and therefore can give a large contribution to the total width of the composite vectors.

The Lagrangian (8) contains mixing terms between the composite Z and W^{\pm} resonances and their SM counterparts, leading to the following mass terms

$$\mathcal{L} \supset \frac{1}{2}(Z_{\mu}^{(0)} \ Z_{\mu}^{(1)})\mathcal{M}_Z^2 \begin{pmatrix} Z_{\mu}^{(0)} \\ Z_{\mu}^{(1)} \end{pmatrix} + (W_{\mu}^{(0)+} \ W_{\mu}^{(1)+})\mathcal{M}_W^2 \begin{pmatrix} W_{\mu}^{(0)-} \\ W_{\mu}^{(1)-} \end{pmatrix}, \quad (10)$$

²In composite Higgs models this can be naturally explained due to the different mass generation mechanism between quarks and leptons [27].

with

$$\mathcal{M}_X^2 \approx \begin{pmatrix} m_X^2 & g_V m_X^2 \\ g_V m_X^2 & M^2 \end{pmatrix}, \quad \text{for } X = Z, W, \quad (11)$$

where $W_\mu^{(1)\pm}$ and $Z_\mu^{(1)}$ (and $A_\mu^{(1)}$) are defined exactly as their SM counterparts. Even though there are no interaction terms in (7) between one heavy resonance and two light states (reminiscent of the orthonormality of the different KK modes in the holographic duals), the diagonalization of (10) leads to such couplings when the required rotation is implemented in the $V_1^{(0)}V_2^{(0)}V_3^{(0)}$ and the $V_1^{(1)}V_2^{(1)}V_3^{(0)}$ couplings. In particular, after going to the physical basis (Z_μ, Z'_μ) and (W_μ^\pm, W'^\pm_μ) , one gets $\mathcal{O}(m_W^2/M^2)$ suppressed couplings $Z'W^+W^-$, $W'^\pm W^\mp Z$ and $A'W^+W^-$ (where A' is just $A^{(1)}$, since the photon resonance does not mix with the zero-mode). Note that in the unitary gauge that we are working on the couplings of the heavy vector resonances to the SM gauge bosons are suppressed. Nevertheless the enhanced decay into the longitudinal components of the SM gauge bosons provides the sizeable branching ratio that we would expect from the couplings to the electroweak Goldstone bosons in a renormalizable gauge. On the other hand, since the couplings $Z^{(1)}Z^{(0)}H$ and $W^{(1)\pm}W^{(0)\mp}H$ are already present in (8), the effect of the aforementioned rotation is subleading and we can safely neglect it for the present phenomenological study.

In our model SM diboson resonances proceed through the following processes

$$q\bar{q}' \rightarrow W'^\pm \rightarrow W^\pm Z, \quad (12)$$

$$q\bar{q} \rightarrow Z'/A' \rightarrow W^+W^-. \quad (13)$$

We therefore have no anomalous ZZ production and will have to account for the observed excess with the WW and WZ samples. In the fully hadronic case we will neglect the small differences in the reconstruction of the hadronic W and Z and therefore we will simply add the WW and WZ production cross sections in order to estimate the signal excess. These processes are accompanied by the corresponding ones with the Higgs boson

$$q\bar{q}' \rightarrow W'^\pm \rightarrow W^\pm H, \quad (14)$$

$$q\bar{q} \rightarrow Z' \rightarrow ZH. \quad (15)$$

As we have indicated, the heavy vector boson production is controlled by the coupling to light quarks g_q . Their decay into dibosons (including the Higgs boson) is proportional to g_V but it is also sensitive to all the other couplings through the vectors' widths. They can also decay in any of the other possible channels, namely into dijets (through g_q), tops (through g_{q_3}, g_{t_R}) or dileptons (through g_l). As we have discussed in Sec. 2, all these channels have quite stringent constraints on the production cross section of new resonances with a ~ 2 TeV mass. Regarding the very stringent bound from the CMS $\ell\nu jj$ search [10], our model contributes to it through both WW and WZ production. Nevertheless, the WZ channel contributes with a factor 1/2 with respect to the WW one, due to the multiplicity of the latter in the semi-leptonic decay.

Thus, neglecting the differences in efficiencies (and hadronic decays) in the hadronic W and Z reconstructions we have

$$\sigma(pp \rightarrow Z'/A' \rightarrow WW) + \frac{1}{2}\sigma(pp \rightarrow W' \rightarrow WZ) \lesssim 6 - 3 \text{ fb}, (M = 1.8 - 2 \text{ TeV}). \quad (16)$$

We have checked that this bound indeed introduces some tension with the expected signal in our model, typically leaving a very narrow allowed strip in the $g_l - g_q$ plane. However, this bound requires the very strong assumption that the efficiencies for a spin-2 mediator are similar to those of a spin-1 mediator like the ones present in our model. Thus, we can only take this bound as an indication of the possible constraints of the semileptonic search in the parameter space of our model, and encourage the experimental collaborations to interpret their limits in the context of spin-1 resonances. Neglecting this search, the next most constraining one from the first block of Table 1 is the ATLAS $\ell\nu jj$ bound. In our case, we have contribution from both the WW and ZW channels, the former contributing with a factor of 2 due to the multiplicity. Thus, we also impose the following constraint on our signal

$$2\sigma(pp \rightarrow Z'/A' \rightarrow WW) + \sigma(pp \rightarrow W' \rightarrow WZ) \leq 13 - 9 \text{ fb}, (M = 1.8 - 2 \text{ TeV}). \quad (17)$$

As we have discussed above, EWPT introduce further constraints in the parameter space of the model. In the case of a universal coupling of light fermions ($g_q = g_l$), the T parameter is proportional to g_V^2 whereas the S parameter is proportional to $g_q g_V$. Thus, in order to have a set of ~ 2 TeV vector boson resonances compatible with EWPT we need to have suppressed g_V and g_q . In turn this means a suppressed production cross section and suppressed branching fraction into dibosons (and therefore less signal for the diboson excess). In the more general case $g_q \neq g_l$ that we are considering, EWPT can no longer be parameterized in terms of oblique parameters but the tension between EWPT and the generation of our signal is similar. We have implemented EWPT as follows. First we have computed the dimension-6 effective Lagrangian that results after integrating out the massive vector bosons at tree level. The resulting effective Lagrangian can be read-off from Eqs. (58-66) of [28] with the identifications

$$\begin{aligned} \alpha^N &= -\frac{g_V^2}{M^2}, & \beta_\psi^N &= -\frac{g_V g_\psi}{M^2}, & \gamma_{\psi\psi'}^N &= -\frac{g_\psi g_{\psi'}}{M^2}, \\ \alpha^D &= \beta_\psi^D = \gamma_{\psi\psi'}^D = 0. \end{aligned} \quad (18)$$

We have then used the results of [29] to implement the constraints at the Z -pole and the ones on [30] to include the constraints on four-fermion interactions. They imply stringent bounds on the parameters of our model (except for g_{t_R}). As an example we show in Fig. 1 the allowed region in the $g_l - g_q$ (left) and $g_V - g_q$ (right) planes for $M = 2$ TeV, $g_{q_3} = 0.5$ and different values of the remaining free parameter. As we can see from the figure, there is a very stringent constraint on g_V

$$g_V \lesssim 1.2 \text{ (EWPT)}, \quad (19)$$

quite independent of the other parameters. Reducing the mass of the vector resonances makes these limits more stringent. We have only included the tree-level contribution

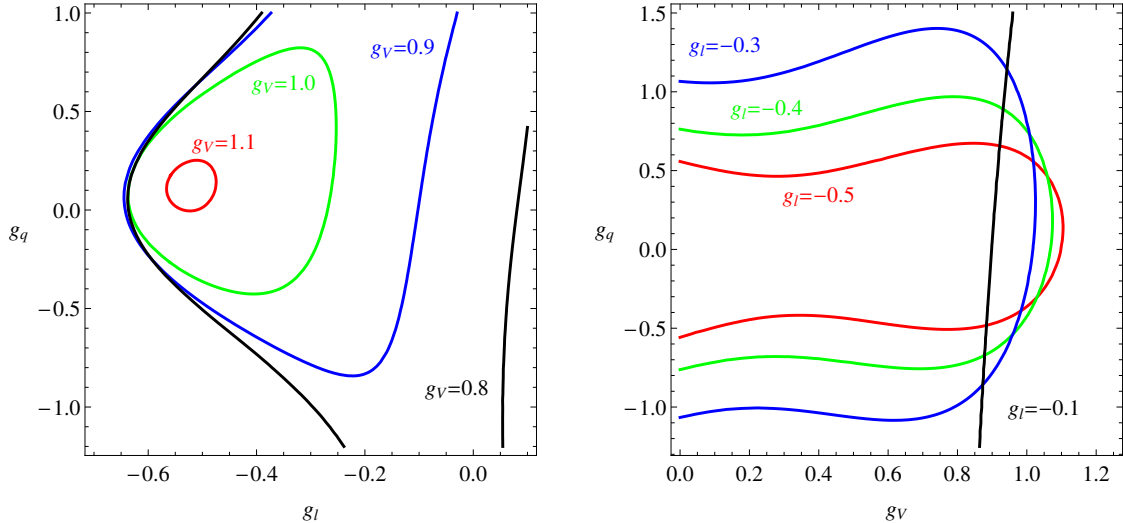


Figure 1: 95% C.L. allowed regions by EWPT, with $M = 2$ TeV and $g_{q3} = 0.5$, in the $g_l - g_q$ (left) and $g_V - g_q$ (right) planes. The allowed regions are the interior of the corresponding contours on the left figure and the region to the left of the contours on the right figure.

of the vector resonances to EWPT. Loop contributions can be very significant in non-custodial composite Higgs models [7] (see also [31] for the case of important loop contributions in custodially invariant models). However they are more model-dependent and in particular they cannot be directly correlated to the diboson excess we are trying to explain. Specific realizations of our general parameterization of non-custodial composite Higgs models will have to include such constraints to determine the viability of complete models to explain the observed diboson excess.

4 Results

The discussion in the previous section makes it clear in which region of parameter space we can expect composite Higgs models to explain the ATLAS diboson signal. We need a sizeable production cross section of the heavy vector resonances, which implies a sizeable g_q , and a large decay branching fraction into SM vector bosons, thus the largest possible g_V . A sizeable production cross section then means that the branching fraction into dileptons and $t\bar{t}$ cannot be too large, otherwise the very stringent bounds on these channels would be violated. Finally, we cannot just increase g_q arbitrarily without clashing with dijet or other diboson constraints. As we saw in Fig. 1, EWPT play a further, somewhat intricate, role in fixing the allowed region of parameter space that might explain the observed ATLAS excess.

We have performed detailed scans over the parameter space of the model, computing the constraints from EWPT and the corresponding production cross sections in all the relevant channels discussed in the previous sections. These cross sections have been

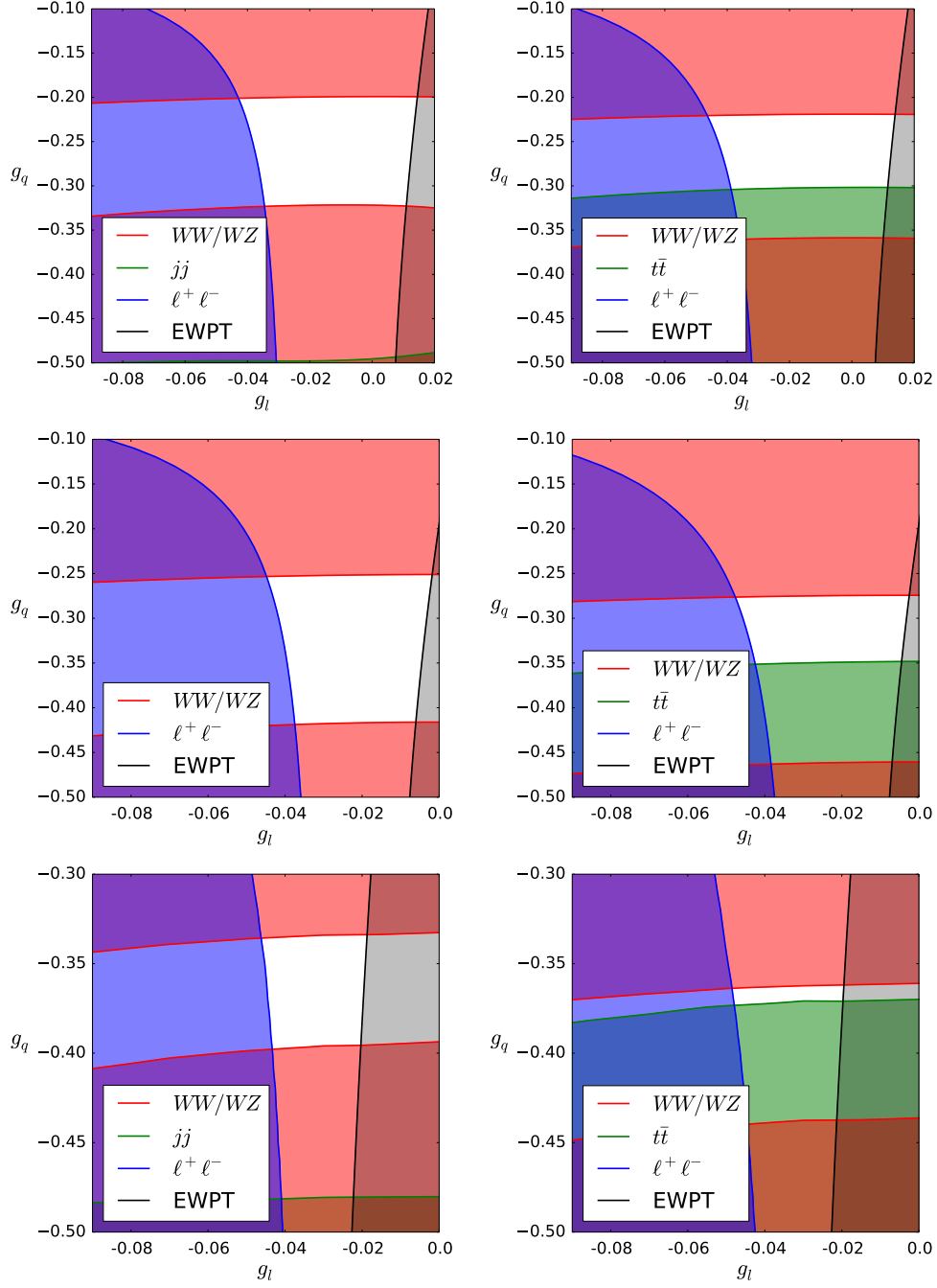


Figure 2: Constraints on the model from the diboson signal, $t\bar{t}$, jj , $\ell^+\ell^-$ and EWPT. The colored areas correspond to the region excluded by the different bounds. The input parameters in the figure have been fixed to $M = 1.8$ TeV and $g_V = 0.75$, $M = 1.9$ TeV and $g_V = 0.8$ and $M = 2$ TeV and $g_V = 0.85$ in the top, middle and bottom rows, respectively. The left (right) column corresponds to $g_{t_R} = 0.3$ (0.5) and in all six plots we have fixed $g_{q_3} = 0.3$.

computed with MG5 [32], using a model created with FeynRules [33]. Our results are summarized in Fig. 2 in which we show the region in the $g_l - g_q$ that successfully reproduces the ATLAS excess, together with the most relevant constraints. The colored areas correspond to the regions that are forbidden by current constraints. In the case of the WW/WZ signal, this means that either the sum of the cross section in both channels is smaller than 5 fb (upper red region) or that the bound in Eq. (17) is not satisfied (lower red region). All the other bounds are color coded as the label indicates. The white area corresponds to the allowed region that generates the observed signal excess. The input parameters in the figure have been fixed to $M = 1.8$ TeV and $g_V = 0.75$, $M = 1.9$ TeV and $g_V = 0.8$ and $M = 2$ TeV and $g_V = 0.85$ in the top, middle and bottom rows, respectively. The left (right) column corresponds to $g_{t_R} = 0.3$ (0.5) and in all six plots we have fixed $g_{q_3} = 0.3$.

These plots show that there is a very narrow range in g_l that is compatible with EWPT and dilepton bounds. Having enough signal requires sizeable g_V and g_q . Bounds from $t\bar{t}$ production constrain the value of g_{t_R} and g_{q_3} (the latter is also constrained by EWPT) to be relatively low. Finally, when the coupling to the third generation quarks are small enough, the upper bound on diboson production in Eq. (17) and dijet production become the most stringent constraints that prevent the strength of g_q to be too large. Combining all these constraints we find the following region in the parameter space for our non-custodial composite Higgs model that can explain the observed diboson excess without contradicting any other experimental bound

$$g_V \sim 0.8 - 0.9, \quad g_{t_R} \sim g_{q_3} \sim 0.3, \quad -0.05 \lesssim g_l \lesssim -0.01, \quad -0.5 \lesssim g_q \lesssim -0.3, \quad (20)$$

where, depending on the exact values of the parameters (including M) slightly smaller or larger ranges can be allowed.

Before going to our conclusions let us mention that there are some small excesses in other analyses, like WH or dijets which could also be explained, at least partially, in the same region of parameter space needed to explain the resonant diboson excess. We have not tried to fit any of them but it is worth keeping an eye on any forthcoming analysis. Any complete UV model will have different correlated predictions in different channels that hopefully the run 2 of the LHC will be able to confirm.

5 Conclusions

In this paper we have tried to give an explanation to the recently reported excess in diboson resonant production in the context of non-custodial composite models. Composite Higgs models naturally predict the existence of spin-1 resonances, among other ones, which could explain the observed excess. We have shown that in a particular class of model based on a soft-wall construction one can satisfy all bounds from EWPT and direct searches and still be able to reproduce the resulting observed excess. The mass range reported for the excess, $M \sim 2$ TeV, is however somewhat low to be accommodated in standard warped models, due to the strong bound coming from the S -parameter. This is the reason to resort to soft-wall models, in which the mixing of

these resonances with the SM gauge bosons is reduced in such a way that ~ 2 TeV vector resonances are compatible with bounds from EWPT. For the sake of simplicity we have considered a minimal non-custodial composite Higgs model. However we have preferred to remain agnostic regarding the underlying gravitational model and we have therefore parameterized with complete generality the relevant couplings. Despite the tension present in the model between the production of a sizeable diboson cross section and direct and indirect constraints we have found that there are regions of parameter space in which the excess can be completely explained without contradicting any other experimental bound. The global analysis, including all the constraints, that we have performed selects a well-defined region of parameter space in non-custodial composite Higgs models in which lepton-quark universality have to be abandoned (due to the bounds from $\ell^+\ell^-$ searches). We also need a sizeable coupling to the light quarks and a reduced coupling to third generation quarks. This would generically correspond to a holographic soft-wall model with a modest volume factor, essentially conformal leptons and with a not-fully composite top quark. The tension between the signal and experimental bounds also means that, if the excess is confirmed during the LHC run 2, it is likely that other related excesses appear with a similar mass scale. In particular, $t\bar{t}$, dijet, $\ell^+\ell^-$ or diboson resonances in other channels (most notably in the semi-leptonic ones) are expected to be easily visible with the new data. A detailed measurement of the corresponding signals would help disentangle the precise region of parameter space that explains all the excesses.

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References

- [1] G. Aad *et al.* [ATLAS Collaboration], arXiv:1506.00962 [hep-ex].

- [2] V. Khachatryan *et al.* [CMS Collaboration], JHEP **1408** (2014) 173 [arXiv:1405.1994 [hep-ex]].
- [3] H. S. Fukano, M. Kurachi, S. Matsuzaki, K. Terashi and K. Yamawaki, arXiv:1506.03751 [hep-ph]; J. Hisano, N. Nagata and Y. Omura, arXiv:1506.03931 [hep-ph]; D. B. Franzosi, M. T. Frandsen and F. Sannino, arXiv:1506.04392 [hep-ph]; K. Cheung, W. Y. Keung, P. Y. Tseng and T. C. Yuan, arXiv:1506.06064 [hep-ph]; S. S. Xue, arXiv:1506.05994 [hep-ph]; B. A. Dobrescu and Z. Liu, arXiv:1506.06736 [hep-ph]; J. A. Aguilar-Saavedra, arXiv:1506.06739 [hep-ph]; A. Alves, A. Berlin, S. Profumo and F. S. Queiroz, arXiv:1506.06767 [hep-ph]; Y. Gao, T. Ghosh, K. Sinha and J. H. Yu, arXiv:1506.07511 [hep-ph]; A. Thamm, R. Torre and A. Wulzer, arXiv:1506.08688 [hep-ph]; J. Brehmer, J. Hewett, J. Kopp, T. Rizzo and J. Tattersall, arXiv:1507.00013 [hep-ph]; Q. H. Cao, B. Yan and D. M. Zhang, arXiv:1507.00268 [hep-ph]; G. Cacciapaglia and M. T. Frandsen, arXiv:1507.00900 [hep-ph].
- [4] K. Agashe, A. Delgado, M. J. May and R. Sundrum, JHEP **0308** (2003) 050 [hep-ph/0308036]; K. Agashe, R. Contino and A. Pomarol, Nucl. Phys. B **719** (2005) 165 [hep-ph/0412089]; M. Carena, E. Ponton, J. Santiago and C. E. M. Wagner, Nucl. Phys. B **759** (2006) 202 [hep-ph/0607106]; Phys. Rev. D **76** (2007) 035006 [hep-ph/0701055].
- [5] A. Falkowski and M. Perez-Victoria, JHEP **0812** (2008) 107 [arXiv:0806.1737 [hep-ph]].
- [6] J. A. Cabrer, G. von Gersdorff and M. Quiros, Phys. Lett. B **697** (2011) 208 [arXiv:1011.2205 [hep-ph]]; JHEP **1105** (2011) 083 [arXiv:1103.1388 [hep-ph]].
- [7] A. Carmona, E. Ponton and J. Santiago, JHEP **1110** (2011) 137 [arXiv:1107.1500 [hep-ph]].
- [8] J. de Blas, A. Delgado, B. Ostdiek and A. de la Puente, Phys. Rev. D **86** (2012) 015028 [arXiv:1206.0699 [hep-ph]].
- [9] G. Aad *et al.* [ATLAS Collaboration], Eur. Phys. J. C **75** (2015) 5, 209 [arXiv:1503.04677 [hep-ex]].
- [10] V. Khachatryan *et al.* [CMS Collaboration], JHEP **1408** (2014) 174 [arXiv:1405.3447 [hep-ex]].
- [11] G. Aad *et al.* [ATLAS Collaboration], Eur. Phys. J. C **75** (2015) 2, 69 [arXiv:1409.6190 [hep-ex]].
- [12] G. Aad *et al.* [ATLAS Collaboration], Phys. Lett. B **737** (2014) 223 [arXiv:1406.4456 [hep-ex]].
- [13] V. Khachatryan *et al.* [CMS Collaboration], Phys. Lett. B **740** (2015) 83 [arXiv:1407.3476 [hep-ex]].

- [14] G. Aad *et al.* [ATLAS Collaboration], Eur. Phys. J. C **75** (2015) 6, 263 [arXiv:1503.08089 [hep-ex]].
- [15] V. Khachatryan *et al.* [CMS Collaboration], arXiv:1506.01443 [hep-ex].
- [16] G. Aad *et al.* [ATLAS Collaboration], Phys. Rev. D **90** (2014) 5, 052005 [arXiv:1405.4123 [hep-ex]].
- [17] G. Aad *et al.* [ATLAS Collaboration], JHEP **1409** (2014) 037 [arXiv:1407.7494 [hep-ex]].
- [18] S. Chatrchyan *et al.* [CMS Collaboration], Phys. Lett. B **720** (2013) 63 [arXiv:1212.6175 [hep-ex]].
- [19] V. Khachatryan *et al.* [CMS Collaboration], Phys. Rev. D **91** (2015) 9, 092005 [arXiv:1408.2745 [hep-ex]].
- [20] G. Aad *et al.* [ATLAS Collaboration], arXiv:1505.07018 [hep-ex].
- [21] V. Khachatryan *et al.* [CMS Collaboration], arXiv:1506.03062 [hep-ex].
- [22] G. Aad *et al.* [ATLAS Collaboration], Phys. Rev. D **91** (2015) 5, 052007 [arXiv:1407.1376 [hep-ex]].
- [23] V. Khachatryan *et al.* [CMS Collaboration], Phys. Rev. D **91** (2015) 5, 052009 [arXiv:1501.04198 [hep-ex]].
- [24] <https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/PAPERS/EXOT-2013-08/>
- [25] D. B. Kaplan and H. Georgi, Phys. Lett. B **136** (1984) 183; D. B. Kaplan, H. Georgi and S. Dimopoulos, Phys. Lett. B **136** (1984) 187; R. Contino, Y. Nomura and A. Pomarol, Nucl. Phys. B **671** (2003) 148 [hep-ph/0306259].
- [26] R. Barcelo, A. Carmona, M. Chala, M. Masip and J. Santiago, Nucl. Phys. B **857** (2012) 172 [arXiv:1110.5914 [hep-ph]]; C. Bini, R. Contino and N. Vignaroli, JHEP **1201** (2012) 157 [arXiv:1110.6058 [hep-ph]]; M. Chala, J. Juknevič, G. Perez and J. Santiago, JHEP **1501** (2015) 092 [arXiv:1411.1771 [hep-ph]]; A. Azatov, D. Chowdhury, D. Ghosh and T. S. Ray, arXiv:1505.01506 [hep-ph].
- [27] F. del Aguila, A. Carmona and J. Santiago, JHEP **1008** (2010) 127 [arXiv:1001.5151 [hep-ph]]; J. A. Cabrer, G. von Gersdorff and M. Quiros, JHEP **1201** (2012) 033 [arXiv:1110.3324 [hep-ph]]; G. von Gersdorff, M. Quiros and M. Wiechers, JHEP **1302** (2013) 079 [arXiv:1208.4300 [hep-ph]]; A. Carmona and F. Goertz, JHEP **1505** (2015) 002 [arXiv:1410.8555 [hep-ph]].
- [28] H. Davoudiasl, S. Gopalakrishna, E. Ponton and J. Santiago, New J. Phys. **12** (2010) 075011 [arXiv:0908.1968 [hep-ph]].
- [29] A. Efrati, A. Falkowski and Y. Soreq, arXiv:1503.07872 [hep-ph].

- [30] J. de Blas, M. Chala and J. Santiago, Phys. Rev. D **88** (2013) 095011 [arXiv:1307.5068 [hep-ph]].
- [31] C. Anastasiou, E. Furlan and J. Santiago, Phys. Rev. D **79** (2009) 075003 [arXiv:0901.2117 [hep-ph]]; C. Grojean, O. Matsedonskyi and G. Panico, JHEP **1310** (2013) 160 [arXiv:1306.4655 [hep-ph]]; R. Contino and M. Salvarezza, arXiv:1504.02750 [hep-ph].
- [32] J. Alwall, R. Frederix, S. Frixione, V. Hirschi, F. Maltoni, O. Mattelaer, H.-S. Shao and T. Stelzer *et al.*, JHEP **1407** (2014) 079 [arXiv:1405.0301 [hep-ph]].
- [33] A. Alloul, N. D. Christensen, C. Degrande, C. Duhr and B. Fuks, Comput. Phys. Commun. **185** (2014) 2250 [arXiv:1310.1921 [hep-ph]].